

G492 – Understanding Processes, Experimentation and Data Handling

Qn	Expected Answers	Marks	Additional guidance
1	(a) hf and $\frac{1}{2}mv^2$ (1) (b) $d \sin \theta$ and $\frac{1}{2}at^2$ (1)	1 1	Both needed (either order) in each part.
2	$\frac{1}{4} \lambda$ (1)	1	Allow ringing, underlining, etc. of $\frac{1}{4}\lambda$ in list
3	$v = \sqrt{(200^2 - 50^2)} = 190 \text{ m s}^{-1}$ (1); $\theta = \arcsin(50/200)$ (1); = $\arcsin(0.25) = 14.47^\circ = 14^\circ$ (1)	3	Ignore any vector triangle with θ to the east instead of west. Allow resultant = 200 km h^{-1} or assuming v = hypotenuse = 206 km h^{-1} Allow $\theta = \arctan(50/200) = 14.0^\circ$ in either case Alternatives: 193.6 km h^{-1} & 14.5° , 200 km h^{-1} & 14.0° , 206 km h^{-1} & 14.0° For scale drawing allow greater tolerance.
4	$X = \frac{1}{2}at^2$ (3 rd box) $Y = ut$ (4 th box)	2	One for each correct tick. If more than one choice for X or for Y, ignore that area.
5	$\lambda / d = \sin \theta \approx x/L$ (1) $d = \lambda L/x = 590 \times 10^{-9} \text{ m} \times 1.2 \text{ m} / 3.5 \times 10^{-3} \text{ m}$ (1) $= 2.0 \times 10^{-4} \text{ m}$ (1)	3	Or quote $\lambda = xd/L$, etc. Rearrange/substitute. Must be correct from first stage (no ecf). $\theta = 0.17^\circ$. Eval.; allow 0.20 mm
6	(a) $f = E/h = 3.5 \times 10^{-19} \text{ J} / 6.6 \times 10^{-34} \text{ J s}$ (1) $= 5.3 \times 10^{14} \text{ Hz}$ (1)	2	Method/substitution Evaluation
	(b) $P = NE/t = 1.2 \times 10^{17} \times 3.5 \times 10^{-19} \text{ J} / 1 \text{ s}$ $= 0.042 \text{ W}$ (1)m (1)e	2	
7	(a) $E = mgh = 6.0 \times 10^{-3} \text{ kg} \times 9.8 \text{ m s}^{-2} \times 0.50 \text{ m}$ (1) $= 0.029 \text{ J}$ (1)	2	Method/substitution Evaluation
	(b) displacement $x = (30 - 9) \times 10^{-3} \text{ m} = 0.021 \text{ m}$ (1) $W = Fx = 3 \text{ N} \times 0.021 \text{ m}$ (1) $= 0.063 \text{ J}$ (1)	3	Can be incorporated into calc. of W Method/substitution Evaluation. Penalise 1 mark for use of mm instead of m.
Section A total:		20	

Qn	Expected Answers	Marks	Additional guidance
8 (a)	(i) between 0.1 and 0.3 s (1)	1	Must use data from both axes. method mark for getting a typical/average speed & time and multiplying, or indicating that total area = distance and indicating area (1); evaluation mark for comparison with 100 m (1) (final speed × time) gets only (1) unless qualified e.g. final speed is about the average.
	(ii) demonstrating that either area under graph or (average speed × time) (1); is considerably less than 200m / ≈ 100 m (1)	2	
(b)	(i) $a = 4 \text{ m s}^{-1}/(0.7 \text{ s} - 0.2 \text{ s}) = 8 \text{ m s}^{-2}$ (1)m; (1)e;	3	Method is gradient of straight line: must have $\Delta v > 1 \text{ m s}^{-1}$ and allow for reaction time (1); Evaluation $\pm 2 \text{ m s}^{-2}$ (1) ecf for a ; may see answers (with correct a) from 530-880 N
	$F = ma = 88 \times 8 = 704 \text{ N} \approx 700 \text{ N}$ (1) (ii) assumes no resistive forces/reference to lack of precision in data from graph (1)		
(c)	Drop in speed noticeable in last 1.2 – 1.7 s / after 8s (1); Mean speed over this time is 11.5 – 11.8 m s ⁻¹ (1); Combining above & comparing with 20 m.(1)	3	First two points and combination can be done by area: needs comparison with 20 m for 3 rd mark. Third mark is the QWC ‘organise information clearly’ mark.
Total:		10	
9 (a)	(i) F (1)	1	Both needed
	(ii) A and B (1)	1	
(b)	First out from the centre (on each side) = A (1); Outermost (on each side) = F (1)	2	
(c)	(i) $f = c/\lambda = c = 3.0 \times 10^8 \text{ m s}^{-1}/360 \times 10^{-9} \text{ m}$ $= 8.3 \times 10^{14} \text{ Hz}$ (1)m; (1)e $E = hf = 6.6 \times 10^{-34} \text{ J s} \times 8.3 \times 10^{14} \text{ Hz}$ $= 5.5 \times 10^{-19} \text{ J}$ (1)	3	Allow ecf. “Show that” so needs 2 sf. Give all 3 marks for $E=hc/\lambda$ & eval.
	(ii) Comparing electron energy from table ($0.82 \times 10^{-19} \text{ J}$) with photon energy ($5.5 \times 10^{-19} \text{ J}$) (1); Difference $\approx 4.7 \times 10^{-19} \text{ J}$ (1)	2	photon energy e.c.f. from (i) Can calculate photon energy for 435 nm for both marks.
Total:		9	

Qn	Expected Answers	Marks	Additional guidance
10 (a)	(i) wave <u>reflects</u> (at open end) (1); resonance idea e.g. sets up right frequency (1); there is <u>superposition</u> / <u>interference</u> between waves (in opposite directions) (1); nodes = destructive interference/out of phase (1); antinodes = constructive interference/in phase (1) QWC is 'spelling, punctuation and grammar' of <u>reflection</u> and <u>interference</u> or <u>superposition</u> (ii) length of didgeridoo = $\frac{1}{4} \lambda$ so $\lambda = 6.4$ m (1); $f = c/\lambda = 340 \text{ m s}^{-1}/6.4 \text{ m} = 53$ Hz (2) (iii) A at open end and N at 'mouth' end (1); A and N alternate and equally spaced (1); pattern A N A N (1)	3 3 3	Allow pressure N & A if clear. Any three points. Incorrect spelling of underlined terms means max 2. Allow paraphrases for the marking point. m & e; ecf for λ
(b)	Test: <u>constant</u> $f:T$ /straight line graph through origin (1) $f:T = 4.93, 3.01, 2.19$ (1) conclusion: not proportional. (1)	3	If test for linearity proposed and done correctly (equal differences, so looks linear) give 1 mark. {for ref: $T:f = 0.203, 0.332, 0.457$ }
Total:		12	
11(a)	$5 \text{ m s}^{-1} \times 0.2 \text{ s} = 1.0 \text{ m}$ (1); Horizontal motion not affected by gravity/ $F_{\text{resultant}} = 0$ (1)	2	Allow 'no horizontal acceleration'
(b)	(i) Straight line segments (1); $x \propto t$ so velocity = gradient = constant / acceleration would produce curve (1) (ii) $x \approx 3.5$ m (at $y \approx 0$) (1); $t = x/v_x \approx 3.5 \text{ m}/5 \text{ m s}^{-1} = 0.7$ s (1)/ there are 4 line segments (1); each segment is 0.2 s (so total is 0.8 s) (1) (iii) $s = \frac{1}{2}at^2 \Rightarrow t = \sqrt{2s/g} = \sqrt{2 \times 1.6 \text{ m}/9.8 \text{ m s}^{-2}} = 0.57$ s (< 0.7 s) (1)m; (1)e (iv) Velocity at start of each interval used \perp velocity changes constantly/ time interval too big (1);	2 2 2 1	Second mark requires recognition that $x \propto t$ so straight line is constant velocity as $y-x$ graph is same shape as $y-t$ graph.
(c)	Use smaller time intervals / more steps per second (1) so v updated more often / true v modelled better (1)	2	Or include acceleration during time intervals in the model (1) so true v modelled better (1)
Total:		11	
Section B total:		42	

Qn	Expected Answers	Marks	Additional guidance												
12 (a)	(i) 5000 Ω (1) (ii) 5000 Ω (1) (iii) 50 000 Ω (1)	1 1 1													
(b)	$\Delta V = (4.0 - 2.6) \text{ V} = 1.4 \text{ V}$ (1); Sensitivity = $\Delta V / \Delta T = 1.4 \text{ V} / 20 \text{ }^\circ\text{C} = 0.070 \text{ (1)m}$; (1)e With units $\text{V } ^\circ\text{C}^{-1}$ (1)	4	Values 20 $^\circ\text{C}$, 4 V and 2.6 V imply use of graph. 0.01 V \div gradient of line is valid: ΔV mark from triangle. If 'insensitivity' in $^\circ\text{C V}^{-1}$ calculated, maximum 3/4 if completely correct.												
(c)	Identifies voltage range is 2.4 – 2.6 V to 3.0 V i.e. 0.4 – 0.6 V (1) Dividing this by 0.01 V gives 40 – 60 steps in range (1) Temp. resolution = $10^\circ\text{C} / (40 \text{ to } 60) = 0.25 \text{ to } 0.17^\circ\text{C}$ (1)	3	Look for gradient 0.4 to 0.6 $\text{V } ^\circ\text{C}^{-1}$. Can use values at 50 $^\circ\text{C}$ and 60 $^\circ\text{C}$. Compares with $\pm 0.01\text{V}$. Ecf from first step for factor. Translates to $^\circ\text{C}$. Ecf of factor from second step.												
Total:		10													
13 (a)	(i) $P = 1/0.21 \text{ m} - 1/0.11 \text{ m} = 4.76 \text{ D} - 9.09 \text{ D} = -4.3(3) \text{ D}$ (ii) measured to nearest 0.01 m (so $\pm 0.005 \text{ m}$) (1) (iii) $P_1 = 1/0.215 \text{ m} - 1/0.105 \text{ m} = -4.87 \text{ D}$ (1) $P_2 = 1/0.205 \text{ m} - 1/0.115 \text{ m} = -3.82 \text{ D}$ (1) Range = 1.05 D so uncertainty = 0.525 D (1); = 0.5 D (1)	1 1 4	Accept any clear recognition of 2 s.f./2 d.p. implying $\pm \frac{1}{2}$ of last digit. If v_{max} and u_{max} (& mins) used in same calc, get $P_1 = -4.65 \text{ D}$ and $P_2 = -4.04 \text{ D}$; in this case give 1/2 for both calculations together. Ecf from P_1 & P_2 for 3 rd mark (above gives $0.61/2 = 0.3 \text{ D}$) 1 s.f. for 4 th mark (even if answer wrong); 0.525 D or 0.53 D gets 3/4 total If one extreme and mean used, completely correct answer would get 3/4.												
(b)	(i) <table border="1" style="display: inline-table; vertical-align: middle;"> <tr> <td>9.1</td> <td>4.8</td> </tr> <tr> <td>8.3</td> <td>4.2</td> </tr> <tr> <td>7.7</td> <td>3.4</td> </tr> </table> Annotation: put ✕ on any wrong numbers	9.1	4.8	8.3	4.2	7.7	3.4	2 2 2	<table border="1" style="display: inline-table; vertical-align: middle;"> <tr> <td>9.09</td> <td>4.76</td> </tr> <tr> <td>8.33</td> <td>4.17</td> </tr> <tr> <td>7.69</td> <td>3.45</td> </tr> </table> One mark for each correct column Allow 3 s.f. but not 4 or more; 3 s.f. \rightarrow Overlay to be used. Ecf from (i) if needed. By eye: must have points both sides of line. Ecf: allow any method using line on graph, e.g. subst. values of $1/u, 1/v$ from line	9.09	4.76	8.33	4.17	7.69	3.45
9.1	4.8														
8.3	4.2														
7.7	3.4														
9.09	4.76														
8.33	4.17														
7.69	3.45														
Total:		12													

Qn	Expected Answers	Marks	Additional guidance
14 (a)	(i) $13\,900 \text{ km} / 902 \text{ km h}^{-1} = 15.4 \text{ h} (\approx 15 \text{ h}) (1)$	1	ora
	(ii) fuel used = $15.4 \text{ h} \times 9800 \text{ L h}^{-1} = 151\,000 \text{ L} (1)$ 80% of 195 600 = 156 000 L (1) > 151 000 L (1)	2	15.4 h = 77%; 15h = 75%
	(iii) Plausible suggestion (1); Explains effect of suggestion on fuel needed – must have correct physics reasoning (1)	2	e.g. head winds / diversion from route / delays in landing (1); so plane must stay longer in the air (1) or more fuel needed at take-off (1); work done in accelerating/overcoming turbulence/denser air at ground level (1)
(b)	(i) $F = 3 \times 270\,000 = 810\,000 \text{ N} (1)$ $a = F/m = 810\,000 \text{ N} / 273\,900 \text{ kg} = 2.96 \text{ m s}^{-2} (1)$	2	Calc. of a from wrong F can gain 1 mark.
	(ii) $s = v^2/2a = (81 \text{ m s}^{-1})^2 / 2 \times 2.96 \text{ m s}^{-2}$ $= 1100 \text{ m} (1)$ m; (1)e	2	Calc. of s from wrong v can gain 1 mark.
	(iii) Plausible suggestion (1); Explains effect of suggestion on take-off distance – must have correct physics reasoning (1)	2	e.g. May not reach required v due to wind / other traffic on runway / turbulence (1) If v not reached, plane would crash /need space to slow down to a halt(1)
(c)	Lift must equal weight (1); weight = mg so Lift $\propto m$ (1)	2	
(d)	Best-fit line excluding Boeing 777 point (1); Larger mass planes have larger wing area (1); Identifying Boeing 777 as different from the others (1); suggestion for odd position of Boeing 777 (1)	3	Line should obviously exclude Boeing 777 and should be reasonable best fit of other points by eye, i.e. have points on each side Any two of these explanations/descriptions. Can credit use of other data related to Boeing 777 e.g. fuel capacity.
Total:		16	
Section C total:		40	